Title

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crossdev( ) — Deviation cross products

Description

`crossdev()` makes calculations of the form

$$(X: -x)'\,(X: -x)$$

$$(X: -x)'\,(Z: -z)$$

$$(X: -x)'\,\mathrm{diag}(w)\,(X: -x)$$

$$(X: -x)'\,\mathrm{diag}(w)\,(Z: -z)$$

`crossdev()` is a variation on [M-5] **cross( )**. `crossdev()` mirrors `cross()` in every respect except that it has two additional arguments: x and z. x and z record the amount by which X and Z are to be deviated. x and z usually contain the (appropriately weighted) column means of X and Z.

Syntax

real matrix `crossdev(`*X*`,` *x*`,` *Z*`,` *z*`)`

real matrix `crossdev(`*X*`,` *x*`,` *w*`,` *Z*`,` *z*`)`

real matrix `crossdev(`*X*`,` *xc*`,` *x*`,` *Z*`,` *zc*`,` *z*`)`

real matrix `crossdev(`*X*`,` *xc*`,` *x*`,` *w*`,` *Z*`,` *zc*`,` *z*`)`

where

X:	*real matrix X*
xc:	*real scalar xc*
x:	*real rowvector x*
w:	*real vector w*
Z:	*real matrix Z*
zc:	*real scalar zc*
z:	*real rowvector z*

Remarks and examples

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x usually contains the same number of rows as X but, if $xc \neq 0$, x may contain an extra element on the right recording the amount from which the constant 1 should be deviated.

The same applies to z: it usually contains the same number of rows as Z but, if $zc \neq 0$, z may contain an extra element on the right.

▷ Example 1: Linear regression using one view

```
: M = .
: st_view(M, ., "mpg weight foreign", 0)
:
: means = mean(M, 1)
: CP = crossdev(M,means, M,means)
: XX = CP[|2,2 \ .,.|]
: Xy = CP[|2,1 \ .,1|]
: b  = invsym(XX)*Xy
: b  = b \ means[1] - means[|2\.|]*b
```

Compare this solution with example 3 in [M-5] **cross( )**.

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▷ Example 2: Linear regression using subviews

```
: M = X = y = .
: st_view(M, ., "mpg weight foreign", 0)
: st_subview(y, M, ., 1)
: st_subview(X, M, ., (2\.))
:
: xmean = mean(X, 1)
: ymean = mean(y, 1)
: XX    = crossdev(X,xmean, X,xmean)
: Xy    = crossdev(X,xmean, y,ymean)
: b     = invsym(XX)*Xy
: b     = b \ ymean - xmean*b
```

Compare this solution with example 4 in [M-5] **cross( )**.

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▷ Example 3: Weighted linear regression

```
: M = X = y = w = .
: st_view(M, ., "w mpg weight foreign", 0)
: st_subview(w, M, ., 1)
: st_subview(y, M, ., 2)
: st_subview(X, M, ., (3\.))
:
: xmean = mean(X, w)
: ymean = mean(y, w)
: XX    = crossdev(X,xmean, w, X,xmean)
: Xy    = crossdev(X,xmean, w, y,ymean)
: b     = invsym(XX)*Xy
: b     = b \ ymean - xmean*b
```

Compare this solution with example 6 in [M-5] **cross( )**.

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▷ Example 4: Variance matrix

```
: X = .
: st_view(X, ., "mpg weight displ", 0)
:
: n     = rows(X)
: means = mean(X, 1)
: xx    = crossdev(X,means, X,means)
: cov   = xx:/(n-1)
```

This is exactly what `variance()` does; see [M-5] **mean( )**. Compare this solution with example 12 in [M-5] **cross( )**.

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▷ Example 5: Weighted variance matrix

```
: M = w = X = .
: st_view(M, ., "w mpg weight displ", 0)
: st_subview(w, M, ., 1)
: st_subview(X, M, ., (2\.))
:
: n     = colsum(w)
: means = mean(X, w)
: cov   = crossdev(X,means, w, X,means) :/ (n-1)
```

This is exactly what `variance()` does with weighted data; see [M-5] **mean( )**. Compare this solution with example 14 in [M-5] **cross( )**.

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Conformability

`crossdev(`X`, `xc`, `x`, `w`, `Z`, `zc`, `z`):`

X:	$n \times v_1$	or	1×1,	1×1	treated as if $n \times 1$	
xc:	1×1					(optional)
x:	$1 \times v_1$	or	$1 \times v_1 + (xc \neq 0)$			
w:	$n \times 1$	or	$1 \times n$	or	1×1	(optional)
Z:	$n \times v_2$					
zc:	1×1					(optional)
z:	$1 \times v_2$	or	$1 \times v_2 + (zc \neq 0)$			
result:	$(v_1 + (xc \neq 0)) \times (v_2 + (zc \neq 0))$					

Diagnostics

`crossdev(`X`, `xc`, `x`, `w`, `Z`, `zc`, `z`)` omits rows in X and Z that contain missing values.

Also see

[M-5] **cross( )** — Cross products

[M-5] **quadcross( )** — Quad-precision cross products

[M-4] **Utility** — Matrix utility functions

[M-4] **Statistical** — Statistical functions