## Description

$\exp$ is used in syntax diagrams to mean "any valid expression may appear here". Expressions can range from being simple constants

```
2
"this"
3+2i
```

to being names of variables

```
A
beta
varwithverylongname
```

to being a full-fledged scalar, string, or matrix expression:

```
sqrt(2)/2
substr(userinput, 15, strlen(otherstr))
conj(X)'X
```


## Syntax

$$
\exp
$$

## Remarks and examples

Remarks are presented under the following headings:

```
What's an expression
Assignment suppresses display, as does (void)
The pieces of an expression
Numeric literals
String literals
Variable names
Operators
Functions
```


## What's an expression

Everybody knows what an expression is: expressions are things like $2+3$ and invsym ( $\mathrm{X}^{\prime} \mathrm{X}$ ) $* \mathrm{X}^{\prime} \mathrm{y}$. Simpler things are also expressions, such as numeric constants
and string literals
"hi there" is an expression
and function calls:

```
sqrt(2) is an expression
```

Even when functions do not return anything (the function is void), the code that causes the function to run is an expression. For instance, the function $\operatorname{swap}()$ (see [M-5] swap()) interchanges the contents of its arguments and returns nothing. Even so,

```
swap (A, B) is an expression
```


## Assignment suppresses display, as does (void)

The equal sign assigns the result of an expression to a variable. For instance,

$$
a=2+3
$$

assigns 5 to a. When the result of an expression is not assigned to a variable, the result is displayed at the terminal. This is true of expressions entered interactively and of expressions coded in programs. For instance, given the program

```
function example(a, b)
{
    "the answer is"
    a+b
}
```

executing example() produces

```
example(2, 3)
    the answer is
    5
```

The fact that 5 appeared is easy enough to understand; we coded the expression $\mathrm{a}+\mathrm{b}$ without assigning it to another variable. The fact that "the answer is" also appeared may surprise you. Nevertheless, we coded "the answer is" in our program, and that is an example of an expression, and because we did not assign the expression to a variable, it was displayed.

In programming situations, there will be times when you want to execute a function-call it setup()but do not care what the function returns, even though the function itself is not void (that is, it returns something). If you code

```
function example(...)
{
    setup(...)
}
```

the result will be to display what setup() returns. You have two alternatives. You could assign the result of setup to a variable even though you will subsequently not use the variable

```
function example(...)
{
    result = setup(...)
}
```

or you could cast the result of the function to be void:

```
function example(...)
{
    (void) setup(...)
}
```

Placing (void) in front of an expression prevents the result from being displayed.

## The pieces of an expression

Expressions comprise
numeric literals
string literals
variable names
operators
functions

## Numeric literals

Numeric literals are just numbers

```
2
3.14159
-7.2
5i
1.213e+32
1.213E+32
1.921fb54442d18X+001
1.921fb54442d18x+001
.a
.b
```

but you can suffix an i onto the end to mean imaginary, such as $5 i$ above. To create complex numbers, you combine real and imaginary numbers using the + operator, as in $2+5 i$. In any case, you can put the $i$ on the end of any literal, so $1.213 \mathrm{e}+32 \mathrm{i}$ is valid, as is $1.921 \mathrm{fb} 54442 \mathrm{~d} 18 \mathrm{X}+001 \mathrm{i}$.
$1.921 \mathrm{fb} 54442 \mathrm{~d} 18 \mathrm{X}+001 \mathrm{i}$ is a formidable-looking beast, with or without the i .
$1.921 \mathrm{fb} 54442 \mathrm{~d} 18 \mathrm{X}+001$ is a way of writing floating-point numbers in binary; it is described in [U] 12.5 Formats: Controlling how data are displayed. Most people never use it.

Also, numeric literals include Stata's missing values, ., .a, .b, ..., .z.

Complex variables may contain missing just as real variables may, but they get only one: . $\mathrm{a}+. \mathrm{bi}$ is not allowed. A complex variable contains a valid complex value, or it contains ., .a, .b, ..., .z.

## String literals

String literals are enclosed in double quotes or in compound double quotes:

```
"the answer is"
"a string"
'"also a string"'
""The "factor" of a matrix"'
""
6 | | )
```

Strings in Mata contain between 0 and $2,147,483,647$ bytes. "" or '""' is how one writes the 0 -length string.

Any plain ASCII or UTF-8 character may appear in the string, but no provision is provided for typing unprintable characters into the string literal. Instead, you use the char () function; see [M-5] ascii( ). For instance, char (13) is carriage return, so the expression

```
"my string" + char(13)
```

produces "my string" followed by a carriage return.
No character is given a special interpretation. In particular, backslash ( $\backslash$ ) is given no special meaning by Mata. The string literal "my string $\backslash \mathrm{n}$ " is just that: the characters "my string" followed by a backslash followed by an " $n$ ". Some functions, such as printf() (see [M-5] printf()), give a special meaning to the two-character sequence $\backslash \mathrm{n}$, but that special interpretation is a property of the function, not Mata, and is noted in the function's documentation.

Strings are not zero (null) terminated in Mata. Mata knows that the string "hello" is of length 5, but it does not achieve that knowledge by padding a binary 0 as the string's fifth character. Thus strings may be used to hold binary information.

Although Mata gives no special interpretation to binary 0, some Mata functions do. For instance, strmatch ( $s$, pattern) returns 1 if $s$ matches pattern and 0 otherwise; see [M-5] strmatch(). For this function, both strings are considered to end at the point they contain a binary 0 , if they contain a binary 0 . Most strings do not, and then the function considers the entire string. In any case, if there is special treatment of binary 0 , that is on a function-by-function basis, and a note of that is made in the function's documentation.

Some string functions in Mata have variants that are designed specifically to deal with Unicode. For examples, usubstr () is the Unicode-aware version of substr (). See [U] 12.4.2 Handling Unicode strings for more details on working with Unicode strings.

## Variable names

Variable names are just that. Names are case sensitive and no abbreviations are allowed:

```
X
x
MyVar
VeryLongVariableNameForUseInMata
MyVariable
```

The maximum length of a variable name is 32 characters.

## Operators

## Operators, listed by precedence, low to high

| Operator | Operator name | Documentation |
| :---: | :---: | :---: |
| $a=b$ | assignment | [M-2] op_assignment |
| $a$ ? $b$ : $c$ | conditional | [M-2] op_conditional |
| $a \backslash b$ | column join | [M-2] op_join |
| $a:: b$ | column to | [M-2] op_range |
| $a, b$ | row join | [M-2] op_join |
| $a \ldots b$ | row to | [M-2] op_range |
| $a: \mid \quad b$ | e.w. or | [M-2] op_colon |
| $a \mid b$ | or | [M-2] op_logical |
| $a: \& b$ | e.w. and | [M-2] op_colon |
| $a \& b$ | and | [M-2] op_logical |
| $a:==b$ | e.w. equal | [M-2] op_colon |
| $a==b$ | equal | [M-2] op_logical |
| $a:>=b$ | e.w. greater than or equal | [M-2] op_colon |
| $a>=b$ | greater than or equal | [M-2] op_logical |
| $a:<=b$ | e.w. less than or equal | [M-2] op_colon |
| $a<=b$ | less than or equal | [M-2] op_logical |
| $a:<b$ | e.w. less than | [M-2] op_colon |
| $a<b$ | less than | [M-2] op_logical |
| $a \quad:>b$ | e.w. greater than | [M-2] op_colon |
| $a>b$ | greater than | [M-2] op_logical |
| $a:!=b$ | e.w. not equal | [M-2] op_colon |
| $a \quad!=b$ | not equal | [M-2] op_logical |
| $a \quad:+b$ | e.w. addition | [M-2] op_colon |
| $a+b$ | addition | [M-2] op_arith |
| $a:-b$ | e.w. subtraction | [M-2] op_colon |
| $a-b$ | subtraction | [M-2] op_arith |
| $a: * b$ | e.w. multiplication | [M-2] op_colon |
| $a * b$ | multiplication | [M-2] op_arith |
| $a$ \# b | Kronecker | [M-2] op_kronecker |
| $a: / b$ | e.w. division | [M-2] op_colon |
| $a / b$ | division | [M-2] op_arith |
| -a | negation | [M-2] op_arith |
| $a:^{\wedge} b$ | e.w. power | [M-2] op_colon |
| $a \sim b$ | power | [M-2] op_arith |
| $a^{\prime}$ | transposition | [M-2] op_transpose |
| *a | contents of | [M-2] pointers |
| \& $a$ | address of | [M-2] pointers |
| $!a$ | not | [M-2] op_logical |
| $a[\exp ]$ | subscript | [M-2] Subscripts |
| $a[\|\exp \|]$ | range subscript | [M-2] Subscripts |
| $a++$ | increment | [M-2] op_increment |
| $a^{--}$ | decrement | [M-2] op_increment |
| ++a | increment | [M-2] op_increment |
| --a | decrement | [M-2] op_increment |

(e.w. = elementwise)

## Functions

Functions supplied with Mata are documented in [M-5]. An index to the functions can be found in [M-4] Intro.

## Reference

Gould, W. W. 2006. Mata Matters: Precision. Stata Journal 6: 550-560.

## Also see

[M-2] Intro - Language definition

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